

R.N.G.PATEL INSTITUTE OF TECHNOLOGY-RNGPIT
(An Autonomous Institute U/s UGC Act 1956)

B.Tech. SEMESTER-III, SEMESTER END EXAMINATION – WINTER 2025

SUBJECT CODE: 1SH301

DATE: 26-12-2025

**SUBJECT NAME: APPLIED MATHEMATICS FOR
ELECTRICAL ENGINEERING**

TIME: 11:00 AM to 01:30 PM

TOTAL MARKS: 70

Instructions

1. It is **compulsory** for students to write **Enrolment No. /Seat No.** on the question paper.
2. Write answers of **Section A** and **Section B** in **separate answer books**.
3. Attempt all questions from both **Section A** and **Section B**.
4. Each section carries **35 marks**, with a total of **70 marks** for the examination.
5. The figures to the right of each question indicate full marks, make suitable assumptions with justification.
6. BL - Cognitive Level (As per Revised Bloom's Taxonomy) (R-Remember, U-Understanding, A –Application, N –Analyze, E – Evaluate, C -Create), CO - Course Outcomes.

SECTION A

		Marks	BL	CO
Q.1	(a) Find Fourier cosine integral of $f(x) = e^{-kx}, x > 0, k > 0$	03	A	6
	(b) Express the function $f(x) = \begin{cases} 2, & x < 2 \\ 0, & x > 2 \end{cases}$ as f=Fourier cosine integral.	04	A	6
Q.2	(a) Evaluate $L\{\cos^3 2t\}$	03	A	4
	(b) Find $L^{-1}\left\{\frac{4s+5}{(s-1)^2(s+2)}\right\}$	04	A	4
	(c) Solve the equation $\frac{dy}{dt} + 2y = 10e^{3t}$ given that at $t=0, y=6$ using Laplace transform	07	A	4

OR

Q.2	(a) Find $L\{t^2 \cosh 2t\}$	03	A	4
	(b) Find inverse Laplace transform of the following using convolution theorem $L^{-1}\left\{\frac{s^2}{(s^2+9)^2}\right\}$	04	A	4
	(c) Solve $(D^2 - 1)x = a \cos ht$ given that $x(0) = x'(0) = 0$ using Laplace transform	07	A	4

- Q.3** (a) Find the root of $x^4 - x - 10 = 0$, correct up to three decimal places using Newton Raphson method **03** **A** **1**
- (b) Find a real root of the equation $2x - \log_{10} x = 7$ which lies between 3.5 and 4, correct up to five decimal places by regula falsi method **04** **A** **1**
- (c) Find the root of $\cos x - xe^x = 0$, correct up to three decimal places using secant method **07** **A** **1**

OR

- Q.3** (a) Find the positive root of $x = \cos x$ using Newton Raphson method, correct up to three decimal places **03** **A** **1**
- (b) Find the approximate root of $x^3 - 2x - 1 = 0$, starting from $x_0 = 1.5, x_1 = 2$, correct up to three decimal places using secant method **04** **A** **1**
- (c) Find the positive root of $x^3 - 2x - 5 = 0$, correct up to two decimal places using bisection method. **07** **A** **1**

SECTION B

- | | | Marks | BL | CO |
|----------------|---|-----------|----------|----------|
| Q.4 (a) | Calculate $\int_0^1 2e^x dx$ with $n=10$ using trapezoidal rule. | 03 | A | 2 |
| (b) | Evaluate $\int_0^5 \frac{dx}{4x+5}$ by using Simpson's 1/3 rule, taking 10 equal parts. | 04 | A | 2 |
| Q.5 (a) | Find $\frac{dy}{dx} = 1 + y^2$ with initial conditions $x_0=0, y_0=0$ by the Taylor's series method. Find approximate value y for $x=0.2$. | 03 | A | 3 |
| (b) | Using Euler's method, find $y(0.2)$ given $\frac{dy}{dx} = y - \frac{2x}{y}, y(0) = 1$ with $h=0.1$. | 04 | A | 3 |
| (c) | Using the fourth order Runge-Kutta method find y at $x=0.1$ for differential equation $\frac{dy}{dx} = 3e^x + 2y, y(0) = 0$ by taking $h=0.1$. | 07 | A | 3 |

OR

- Q.5** (a) Find the value of y for $\frac{dy}{dx} = x + y, y(0) = 1$ when $x=0.1, 0.2$ with step size $h=0.05$ by using Euler's method **03** **A** **3**
- (b) Use the second-order Runge-Kutta method to find an approximate value of y given that $\frac{dy}{dx} = x - y^2$ and $y(0)=1$ at $x=0.2$ taking $h=0.1$. **04** **A** **3**

- (c) Determine the value of y when $x=0.1$ correct up to for decimal places **07** **A** **3**
 by taking $h=0.05$. Given that $\frac{dy}{dx} = x^2 + y, y(0) = 1$ by Euler's modified
 method

- Q.6** (a) Find Fourier sine series of the function $f(x) = \pi - x; 0 \leq x \leq \pi$ **03** **A** **5**
 (b) Find Fourier series of the function $f(x) = x^2; -\pi \leq x \leq \pi$ **04** **A** **5**
 (c) Find Fourier series of the function $f(x) = e^{ax}; 0 \leq x \leq 2\pi$ **07** **A** **5**

OR

- Q.6** (a) Find Fourier series of the function $f(x) = 2x; -1 \leq x \leq 1$ **03** **A** **5**
 (b) Find Fourier cosine series of the function $f(x) = x; 0 \leq x \leq \pi$ **04** **A** **5**
 (c) Find Fourier series of the function $f(x) = \frac{1}{2}(\pi - x); 0 \leq x \leq 2\pi$. Hence **07** **A** **5**
 deduce that $\frac{\pi}{4} = 1 - \frac{1}{3} + \frac{1}{5} - \frac{1}{7} + \dots$
